

Flashcards for SOA Exam STAM

1st Edition

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Table 2: Rating system

Essential—appears repeatedly on every exam

Important—appears on every exam

Average importance—regularly appears on ex

Average importance—regularly appears on exams Not so important—appears occasionally on exams, or easy

to derive as needed

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Obscure—on syllabus, but unlikely to appear on exam. Sometimes this indicates a formula not covered by all the reading options. No released exam uses this formula or concept, and students have never reported a question from an unreleased exam requiring this formula or concept.

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Five components of auto insurance



- 1. Liability insurance (bodily injury and property damage)
- 2. Uninsured, underinsured, and unidentified motorist coverage
- 3. Medical benefits
- 4. Collision
- 5. Comprehensive

Lesson 5

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Two ways for insurance company to recover losses

Insurance Coverages

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1. Subrogation

2. Salvage

Lesson 5

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Five components of homeowners insurance



- 1. Damage to dwelling
- 2. Damage to garage/other structures on premises
- 3. Damage to contents
- 4. Additional living expenses
- 5. Liability

Lesson 5



Disappearing deductible

Insurance Coverages



Deductible of d that decreases linearly to 0 at d + k

Lesson 5 52B



Coinsurance clause



If policy limit is less than 100k% of value at time of damage, insurance pays $\frac{limit}{(k \times value)}$ times loss.

Lesson 5 53B



Loss Elimination Ratio



$$LER_X(d) = \frac{\mathbf{E}[X \wedge d]}{\mathbf{E}[X]}$$



Loss Elimination Ratio for exponential



$$LER(d) = 1 - e^{-d/\theta}$$



Loss Elimination Ratio for two-parameter Pareto



LER(d) =
$$1 - \left(\frac{\theta}{d + \theta}\right)^{\alpha - 1}$$

 $\alpha > 1$



Loss Elimination Ratio for single-parameter Pareto for $d \ge \theta$



LER
$$(d) = 1 - \frac{(\theta/d)^{\alpha-1}}{\alpha}$$

 $\alpha > 1, d \ge \theta$



Formula for ILF



$$ILF(U) = \frac{\mathbf{E}[X \wedge U]}{\mathbf{E}[X \wedge B]}$$

where B is basic limit

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Three cautions for calculating ILFs



- 1. Losses may not be independent of ILF.
- 2. Policy limit selected may depend on likelihood of loss.
- 3. Losses but not LAE are limited.