


a/s/m

Actuarial Study Materials

Learning Made Easier

Flashcards for SOA Exam IFM

1st Edition, Second Printing



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Table 2: Rating system

★★★★★	Essential—appears repeatedly on every exam
★★★★	Important—appears on every exam
★★★	Average importance—regularly appears on exams
★★	Not so important—appears occasionally on exams, or easy to derive as needed
★	Obscure—on syllabus, but unlikely to appear on exam. Sometimes this indicates a formula not covered by all the reading options. No released exam uses this formula or concept, and students have never reported a question from an unreleased exam requiring this formula or concept.



NPV in terms of free cash flows



$$\text{NPV} = \sum_{n=0}^{\infty} \frac{\text{FCF}_n}{(1+r)^n}$$

where

FCF_n is free cash flow at time n

r is the cost of capital



NPV at interest rate i if cash flows are 1 in the first year and grow at rate g perpetually.

Project Analysis



$$\text{NPV} = \frac{1}{i - g}$$



Downside semi-variance

$$\sigma_{SV}^2 = \mathbf{E}[\min(0, (R - \mu))^2]$$



*Formula to estimate downside semi-variance
from a sample*

$$\hat{\sigma}_{SV}^2 = \frac{1}{n} \sum_{i=1}^n \min(0, (R_i - \bar{R}))^2$$



*$T - t$ forward price at time t of nondividend
paying stock*



$$F_{t,T}(S) = S_t e^{r(T-t)}$$



*T – t forward price at time t of stock with
discrete dividends*



$$F_{t,T}(S) = S_t e^{r(T-t)} - \text{CumValue}(\textit{Dividends})$$



*$T - t$ forward price at time t of stock paying
continuous dividends at rate δ*



$$F_{t,T}(S) = S_t e^{(r-\delta)(T-t)}$$



$T - t$ forward price at time t of currency, if domestic continuously compounded risk-free interest rate is r_d and foreign continuously compounded risk-free interest rate is r_f



$$F_{t,T}(x) = x_t e^{(r_d - r_f)(T-t)}$$



Forward premium

Forwards and Futures



$$\frac{F_{0,T}}{S_0}$$



Annualized forward premium



$$\frac{1}{T} \ln \left(\frac{F_{0,T}}{S_0} \right)$$



*Relation of forward price to expected future
price of underlying risky asset*



Forward price is less than the expected future price of risky asset.